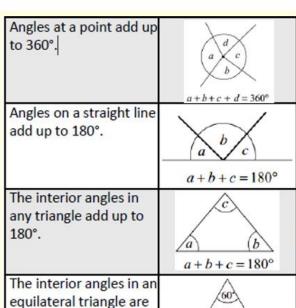
all 60°.



Angle	Vertically opposite
Alternate	Perpendicular
Supplementary Co-interior	Parallel lines
Acute/Obtuse/ Reflex	corresponding

ANGLES (Unit 6 Foundation)



Videos	
Names of angles	<u>V38</u>
Angles in a triangle	<u>v37</u>
Angles on a line/ around a point	V35 V30
Angles and parallel lines	<u>V25</u>
Properties of special triangles	<u>V327</u>

tria	ngles		
Key fact	ts to memorise	- polygon angle fac	cts
Polygon	names	Polygon angle facts	
3 sides	Triangle	Sum of interior angles in a polygon with n sides	
4 sides	Quadrilateral		(6-2) × 180 = 720°
5 sides	Pentagon	= (n - 2) × 180	
6 sides	Hexagon	Sum of exterior	360°
7 sides	Heptagon	angles in a polygon = 360°	-
8 sides	Octagon	Interior angle +	1
9 sides	Nonagon	exterior angle = 180°	180"
22.00	_	= 180	

Decagon

10 sides

	A	
100	0 100 80 90 100 100 100 100 100 100 100 100 100	∠ <i>ABC</i> = 72°
		1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
8/8/		A ST TO THE PROPERTY OF THE PR

An isosceles triangle has two angles of the same size.	equal angles	
The interior angles in any quadrilateral add up to 360°.	$a \qquad b$ $a+b+c+d=360^{\circ}$	
When two straight lines intersect, the opposite angles are equal.	a b a	
When a straight line intersects a pair of parallel lines, the corresponding angles are equal.		
When a straight line intersects a pair of parallel lines, the alternate angles are equal.	$\begin{array}{c} & & \\ & \downarrow \\ \\$	

Mean from frequency table video

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Averages and Range (Unit 7 Foundation)

MEAN

Sum of all values Number of values

MEDIAN

Middle value when numbers are placed in order

MODE

Most Common

Largest value - smallest value

Practise

Find the mean, median, mode and range of the following set of numbers

1, 3, 2, 8, 7, 9, 5, 4, 10, 2, 4,

Challenge Question

The mean of these 4 cards is 10, what is the missing number?

Averages and Range from a Frequency table

20 students scored goals for the school hockey team last month-

ш	die gives information	about the number of	goals they scored.
	Goals scored	Number of students	Goals scored x no. of students
	1	9 ~	1 x 9 = 9
	2	3	2 x 3 = 6
	3	5	3 x 5 = 15
	4	3	4 x 3 = 12
		20 students	42 goals scored

This means 9 students each scored 1 goal

total

total number of students and a totals row to work out the goals scored

Add

Add an extra column to work out the number of goals scored

Mean = total number of goals scored divided by the number of students

= $42 \div 20 = 2.1$ goals per student

Mode = most common number of goals scored

= 1 (as 9 students scored 1 goal which is more than any other number of goals)

Median = the number in the middle = 2If I wrote the goals scored by each student as a list it would look like:



The median is the middle number now that they are in order

Range of the number of goals scored = 4 - 1 = 3

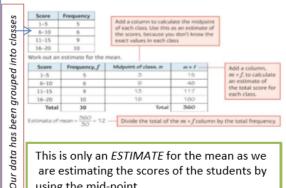
video Stem and leaf Diagrams





Estimating the mean from a grouped frequency table Estimated mean video

The table represents the scores of 30 students in a maths test



This is only an ESTIMATE for the mean as we are estimating the scores of the students by using the mid-point

Practise Question

Real In a survey, 30 small companies were asked how many employees they had. This table shows the results.

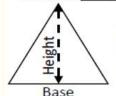
Number of employees	Frequency, f	Midpoint of class, m	$m \times f$
1-5	12		
6-10	7		
11-15	6		
16-20	5		
Total		Total	

Calculate an estimate for the mean number of employees per company.

Area

Is the inside of a shape.

Area of Rectangle = length × width



Area of <u>Triangle</u> = $\frac{1}{2}$ × base × height

Perimeter, Area and Volume

(Unit 8 Foundation)

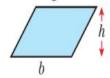
Perimeter

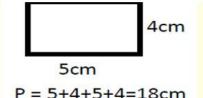
Is the distance round

VIDEOS: V44 V45 V49 V40 V355 the edges of the shape

Area of a parallelogram = base × vertical height

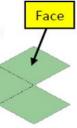
$$= b \times h$$





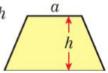
Surface Area

The area of each face added together.



Circles

Area of trapezium = $\frac{1}{2} \times (a + b) \times h$



To find the area of a **compound shape**, draw lines to split the shape into simple shapes. Find the area of each shape separately. Add to find the total area.

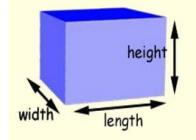






Volume

volume = length \times width \times height



Key Facts - Circle Formulae

$$A = \pi r^2$$

$$A = \frac{\pi d^2}{4}$$

Used to calculate the area of a circle. Notice that the formula includes a 2 and the answer will be an area measured in units2. This formula can also be used as the basis for finding the area of sectors and the volumes of cylinders.

$$C = 2\pi r$$

Used to calculate the circumference. Notice that the formula does not feature a². This formula can also be used to calculate the perimeter of shapes made up from part of a circle. The **volume** of a 3D solid is the amount of space it takes up. Volume is measured in mm³, cm³ or m³.

Volume of a prism = area of cross-section \times length



Graphs (Unit 9 Foundation)



Co-ordinates

These are given in the form (X,Y). We go along the x axis and up or down the y axis.

Y intercept

This is the point where the line crosses the y axis. On the example the y intercept = +2

Gradient

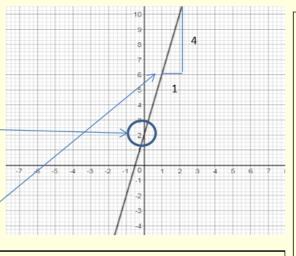
The steepness of a graph is called the **GRADIENT.** You can find the gradient by:

Squares up or down Squares across

<u>4</u> 1

Gradient + 4

Gradient can be positive (/) or negative (\)



Parallel Lines have the same gradient but a different y intercept. For example a parallel line for the above graph would be y = 4x - 3

Mid points is the point exactly in the middle. To find the coordinates add the x coordinates together and divide by 2 and do the same for the y coordinates.

Table of Values/ Plotting graphs and the coordinates of a straight line you

To find the coordinates of a straight line you can use a table of values.

Firstly create a function machine



Then input numbers from the x axis to find the y axis.

These create coordinates which you can then plot onto the graph and join up with a ruler.

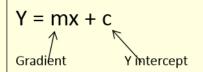
Х	0	1	2	3
Υ	2	6	10	14

Distance time graphs

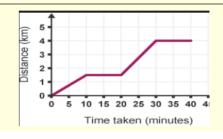
Represents a journey. The vertical axis represents the distance from starting point. The horizontal line represents time taken.

A horizontal line on a distance time graph represents an object at rest.

The gradient of the line represents the speed of the journey



You can use the gradient and y intercept to write an equation for a line. Equation for above line is y = 4x + 2

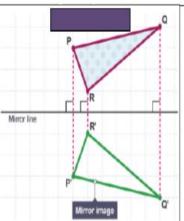


Reflection

Every point in the image is the same distance from the mirror line as the original shape.

The line joining a point on the original shape to the same point on the image is perpendicular to the mirror line.

A reflection creates a congruent image



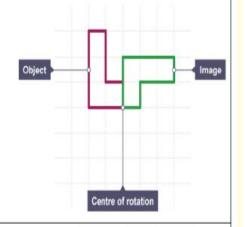
Rotation

Rotation turns a shape around a fixed point called the centre of rotation.

3 parts of a rotation

- the centre of rotation
- the angle of rotation
- · the direction of rotation

A Rotation creates a congruent image

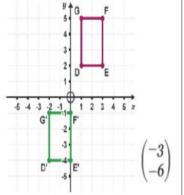


Translation

A translation moves a shape up, down or from side to side and creates a congruent image.

Column vectors are used to describe translations

- $\begin{pmatrix} 4 \\ -3 \end{pmatrix}$ means translate the shape 4 squares to the right and 3 squares
- $\binom{-2}{1}$ means translate the shape 2 squares to the left and 1 square up.



Enlargement

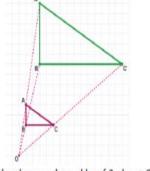
Enlarging a shape changes its size

2 parts of an enlargement

- · the scale factor
- · the centre of enlargement

Fractional SF reduces the shape Negative SF inverts the shape

An enlargement creates a similar shape



ABC has been enlarged by sf 3 about O.

Linked Prior Topics

Shapes

Scales

Angles

Straight line graphs

Vocabulary

Object - Starting shape

Image - Created by a transformation

Congruent - 2 shapes are exactly the same

Similar – 2 shapes with the same angles but different length sides

Perpendicular - Forms a 90° angle

Linked Future Topics

Transformation of functions Similar shapes

This is an example of DIRECT PROPORTION

RATIO

This is used to compare two or more amounts Always draw boxes when dealing with ratio!

Writing a Ratio

The amount of one object compared with another. Eg there are 2 triangles to 5 squares

2:5



Simplifying a Ratio Video 269

You simplify a ratio by dividing the numbers by the HCF (Highest Common Factor)

Simplify 6:12

Divide both by 6

1:2

Simplify 3:9:15

Divide all numbers by 3

1:3:5

Simplify 6:1.5

Multiply both sides by 2

12:3

Divide both sides by 3

4:1

Unit 11 Foundation Ratio & Proportion

Sharing an Amount in a Ratio

Video 270

Mr Musson and Mr Coren get £72 pocket money. They share it in the ratio 5:3.

Draw a total of 8 boxes (5 + 3 = 8) Split the money evenly between each box (72 \div 8 = 9)

Mr Musson gets 5 boxes = $5 \times 9 = £45$ Mr Coren gets 3 boxes = $3 \times 9 = £27$

£45 for Mr Musson £27 for Mr Coren

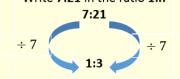


£72 in total

Writing in the Ratio 1:n

You need to divide **both** sides by the **same** amount until the correct number is down to 1

Write 7:21 in the ratio 1:n



PROPORTION



Proportion compares a part with a whole

Video 210

Best Buy

Video

This is about finding which item is better *value for money*

Example 1



A pack of 4 tins of baked beans cost £1.96



A pack of 6 tins of baked beans cost £3

Hint: Find the cost of **one** tin from each pack

£1.96
$$\div$$
 4 = £0.49
= 49p per tin

£3
$$\div$$
 6 = £0.50

= 50p per tin

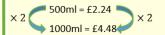
Therefore the pack of 4 tins is better value for money

Example 2

Radox hand wash is on sale at Boots and Superdrug

Boots 500ml bottle costs £2.24 Superdrug 200ml bottle costs 90p

Hint: multiply both to the **same** amount of hand wash



 \times 5 200ml = 90p 1000ml = £4.50

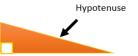
Therefore the bottle from boots is better value for money

Pythagoras Theorem



Pythagoras is used to find missing sides in Rightangled triangles

Key Facts



HYPOTENUSE

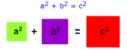
This is the longest side in a right-angled triangle and is ALWAYS opposite the right angle

Method to find the hypotenuse

Pythagoras video 257

Square side a Square side b Add together

Square root



Method to find a shorter side



Square side c Square side a/b (whichever is known) Subtract a/b from c

Square root



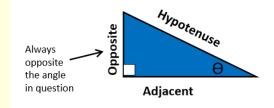
Unit 12 Foundation Right-Angled Triangles 1

Trigonometry Video 329, 330,

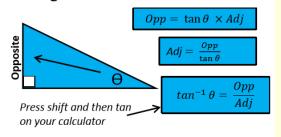
Trigonometry

Used to find missing sides and angles in right-angled triangles

You must label your sides correctly

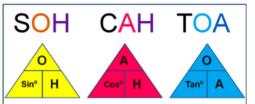


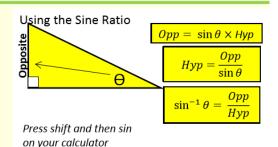
Using the Tangent Ratio:



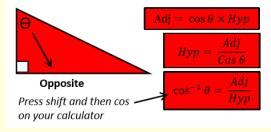
SOH – CAH – TOA Pyramids

Cover the letter which is the unknown value, and then Multiply for horizontal relationships and Divide for vertical relationships





Using the Cosine Ratio:





The **probability** of something (let's call it outcome A) happening is written as P(A), and must be between 0 and 1.

If P(A) = 0, it is impossible.

If P(A) = 1, it is certain to happen.

Exmouth Community

The probability of A not happening is written as **P(A')**. Since A will either happen or not happen,

P(A) + P(A') = 1

Video 250: Events not happening

We call the two outcomes above "mutually exclusive" – this means they cannot happen at the same time. The probabilities of all possible outcomes for an event always add up to 1, because one of them is certain to happen.

Unit 13 Foundation

Example:

Event: rolling 3 on a fair six-sided dice.

 $P(3) \neq 1/6$ These two outcomes are mutually exclusive and cover every possibility, so their probabilities add up to 1

Video 249: Independent **Events**

If the outcome of one event doesn't affect the outcome of another, we call those events independent. For example, flipping a coin and rolling a dice are independent of each other.

Experimental probability is about estimating probability based on previous outcomes, (unlike theoretical probability, which was used above and is based on what should happen). Experimental probability would be written as Video 248: Relative Frequency

frequency of desired outcomes total number of trials

"Trials" refers to what you actually do for your experiment (flipping a coin; counting cars as they drive past). Each time you do it counts as one trial.

Example:

Experiment: spinning a fair four-numbered spinner 100 times (i.e. 100 trials)

Score 30 21

Based on these results, the P(1) = 23/100, or 0.23. To estimate relative frequency, multiply the number of intended trials by the experimental probability, e.g. for 200 trials, we would predict 46 results will be 1 because 200 x 0.23 = 46, and 60 results will be 3 because $200 \times 0.30 = 60$.

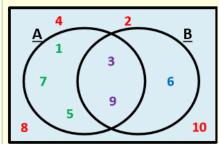
Venn diagrams show how two or more **sets** (groups) can overlap, and we can use them to calculate the probability of a given element (item in a set) being chosen. They can have each element individually written in them (Example 1), or just the quantity of each section (Example 2). The universal set (ξ) contains everything being considered.

Example 1

ξ: Integers up to 10

A: Odd numbers

B: Multiples of 3



A∩B: only elements in both A and B AuB: all elements in A or B or both

If picking a number at random,

 $P(A \cap B') = 3/10$ $P(A \cap B) = 2/10$

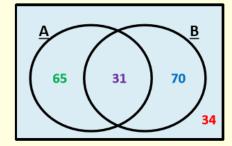
 $P(A' \cap B) = 1/10$ $P(A' \cap B') = 4/10$

Example 2

ξ: Year 10 students (200 in total)

A: Students who walk to school

B: Students who like football



A∩B': elements in A and not in B A'∩B: elements in B and not in A

Video 380: Venn Diagrams

If picking a student at random,

 $P(A \cap B') = 65/200$

 $P(A' \cap B) = 70/200$

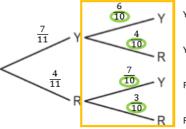
 $P(A \cap B) = 31/200$ $P(A' \cap B') = 34/200$

Probability "tree" diagrams show the possible outcomes of multiple events one after the other. The "branches" are for each outcome and every set of branches adds to 1.



There are 11 balls in the bag, so the first choice is out of 11. The second choice is out of 10, since a ball has been taken out, so the denominators change

1st choice 2nd choice The second choice has two sets of branches because there are two possible scenarios for it (either after a vellow or after a red).



R then Y P(RY): R then R P(RR) = To find the final probability, multiply along the branches as shown.

(For example, the probability of picking red both times is 12/110).

Video 252: Tree Diagrams